## Physics 202, Lecture 9

## This week's Topics

- Basic DC circuits: Chapter 28
- Basic circuit components( $\varepsilon, \mathrm{R}, \mathrm{C}, \ldots$ )
- Single loop circuits
- Resistors in series and in parallel
- Kirchhoff's Rules: multi-loop circuits
- RC Circuits
- Homework \#4: problems from Ch. 26, 27, 28 due Monday, Oct 8 at 10 PM
- Reading quiz: for Thursday (optional, for extra credit)


## Basic Circuit Components

| Component | Symbol | Behavior in circuit |
| :---: | :---: | :---: |
| Ideal battery, emf | $+$ | $\Delta \mathrm{V}=\mathrm{V}_{+}-\mathrm{V}_{\text {- }}=\boldsymbol{\varepsilon}$ |
| Resistor | $\stackrel{R}{\text { M }}$ | $\Delta V=-I R$ |
| Realistic Battery | + | $\rightarrow \quad \stackrel{\varepsilon}{\underline{\prime}}$ |
| (Ideal) wire | - | $\Delta \mathrm{V}=0 \quad(\rightarrow \mathrm{R}=0, \mathrm{C}=0)$ |
| Capacitor | $\pm{ }^{+}$ | $\Delta V=V_{-}-V_{+}=-q / C, d q / d t=1$ |
| Inductor | $\cdots$ | Later this semester |
| (Ideal) Switch | -5 $0-0{ }^{\text {a }}$ | $\mathrm{C}=0, \mathrm{R}=0$ (on), $\mathrm{R}=\infty$ (off) |
| Transformer | Future Topics |  |
| Diodes, Transistors,... |  |  |

## emf: Electromotive "Force"

Battery as a source of Electromotive "force" (emf)
Chemical inside the battery maintains a charge distribution which provides a persistent potential difference $\rightarrow$ emf
emf is a potential difference, it is not a force!

$\square$ emf can also be produced by changes of magnetic flux. (later in the course)

* Direct Current (DC) Circuit: Circuit driven by $\varepsilon \sim$ constant


## Devices: Summary

$\square$ Batteries:
Voltage sources, sources of "emf" $\varepsilon$ Purpose is to provide a constant potential difference between two points.

Non-ideal batteries: "internal resistance" $r$


OR


$$
V=\varepsilon-I r
$$

$\square$ Resistors: resist electric current Ohm's Law: $\quad V=I R$

Capacitors: store charge (energy).

$$
Q=C V
$$



Example: Ch 28 \#1

## Simple Circuit 1: Resistors In Series

Exercise: show

$$
R_{S}=R_{1}+R_{2}
$$

- $I_{1}=I_{2}=I$

$$
\begin{aligned}
\rightarrow & I \mathbf{I R}_{1}+\mathbf{I} \mathbf{R}_{2}=\Delta \mathbf{V} \\
& \mathbf{I}\left(\mathbf{R}_{1}+\mathbf{R}_{2}\right)=\Delta \mathbf{V}
\end{aligned}
$$


(b)
i.e.

$\square$ In general: $\quad R_{S}=R_{1}+R_{2}+R_{3}+\ldots=\sum_{i} R_{i}$

## Simple Circuit 2: Resistors In Parallel

$\square$ Show

$I_{1}+I_{2}=I$
$\Delta V=I_{1} R_{1}=I_{2} R_{2}$
$\rightarrow \Delta V=I 1 /\left(1 / R_{1}+\mathbf{1} / \mathbf{R}_{2}\right)$
i.e.

(b)
$\square$ In general

$$
R_{P}=\left(1 / R_{1}+1 / R_{2}+1 / R_{3}+\ldots\right)^{-1}
$$

Examples: Ch. 28 \#9


## Power Distribution on Resistors in Series




Exercise: Equivalent Resistance of a Combined Parallel and Serial Circuit

- What is $R_{\text {eq }}$ for the combination shown?
$R_{1}=R_{2}=1 \Omega, R_{3}=2 \Omega, R_{4}=4 \Omega$.
$8 \Omega$
$6 \Omega$
$\Rightarrow 5 \Omega$


None of above

## A Complicated Circuit

A complicated circuit :
-May contain more than one emf
-May not be simplified as
"in series" or "in parallel"

- May contain multi loops and junctions.
loops



## Kirchhoff's Rules: Junction Rule <br> $$
I_{1}=I_{2}+I_{3}
$$

$\square$ Junction Rule (Charge conservation):
Sum of currents entering any junction equals the sum of currents leaving that junction.

(a)

$$
\Sigma l_{\text {in }}=\Sigma l_{\text {out }}
$$

$\square$ In practice, the classifications of "in" and "out" determined by assigned direction for each current.
The assignment of current directions can be arbitrary.
(they may not be the same as actual directions)
" "in" : current with assigned direction towards junction

- "out" : current with assigned direction off junction


## (Very) Quick Quiz: Junction Rule

. What is the junction rule for the current assignment shown?
$\mathrm{I}_{1}+\mathrm{I}_{2}=\mathrm{I}_{3}$
$\mathrm{I}_{1}=\mathrm{I}_{2}+\mathrm{I}_{3}$
$\mathrm{I}_{1}+\mathrm{I}_{3}=\mathrm{I}_{2}$


## Quick Quiz: Junction Rule

- What is the junction rule for the current assignment shown?
$\mathbf{I}_{1}+\mathrm{I}_{2}=\mathrm{I}_{3}$
$\mathbf{I}_{1}+\mathbf{I}_{2}+\mathbf{I}_{3}=\mathbf{0}$
$\leftarrow$
Neither


While the actual currents can not all goes into a junction, the assigned currents can.

## Kirchhoff's Rules: Loop Rule


$>$ The exact form of the potential drop is determined by the type of component and the assigned current direction. (See next slides)


